



Evening's Goals

- Discuss application bottleneck determination
- Discuss various optimizations for making programs execute faster
 - 2D
 - 3D

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2D Applications

- "Scroller" games
- Photo / Image viewing software
- *Photoshop*-type applications

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How We've Rendered So Far ...

- ❶ Clear the window
- ❷ Redraw all contents using new positions
- ❸ Swap Buffers
- ❹ Go to ❶

- Forced to redraw every pixel in the viewport
 - Potentially very wasteful for certain types of applications



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“Dirty Rectangles”

- For 2D applications, clearing the entire window may be wasteful
- Only update pixels that were “damaged”
 - Refill where players were with background image
 - Use *Painter's Algorithm* to determine drawing order



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“Dirty Rectangles”



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What Makes Applications Slow

- Poor data structure use in application
- Too much geometry per frame
 - Vertex transformations
 - Lighting computations
 - Texture coordinate generation
- Too many pixels to fill
 - Depth testing
 - Texture mapping



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Keeping things “Real Time”

- What’s your hardware capable of doing?
 - Polygons / second
 - Pixels / second
- Determining what’s realistic
 - Computing the *polygon budget*
 - Controlling model complexity
 - Estimating how many pixels need to be filled per frame
 - Need to consider rejected pixels from depth testing



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Polygon Budget

- Need to consider
 - How many frames you want a second (Hertz)
 - How many geometric primitives do you need to render per frame

$$\frac{\text{polygons}}{\text{frame}} = \frac{\text{polygons/sec}}{\text{frames/sec}}$$

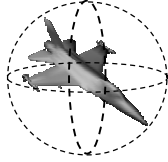


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Computing Bounding Volumes

- Bounding sphere
 - Easy to compute
 - Easy to work with
 - Not the most accurate representation



$$\vec{c} = \frac{1}{n} \sum_{i=1}^n \vec{p}_i$$

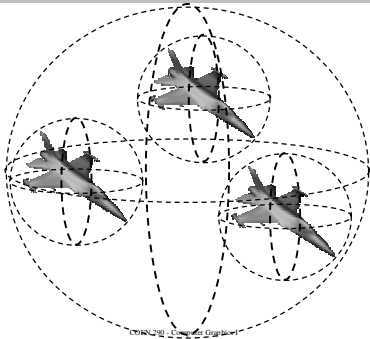
$$r = \sqrt{(x_{\max} - x_{\min})^2 + (y_{\max} - y_{\min})^2 + (z_{\max} - z_{\min})^2}$$



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Hierarchical Bounding Volumes



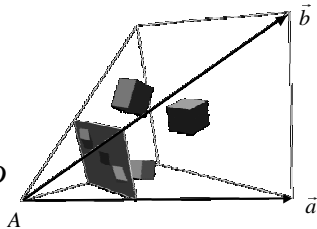
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View Frustum Culling

$$\hat{n} = \frac{\vec{a} \times \vec{b}}{\|\vec{a} \times \vec{b}\|}$$

$$D = -A \cdot \hat{n}$$

$$\text{Plane}_i = \hat{n} \cdot \vec{p} + D$$



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Needs to be computed in either eye space or world coordinates

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Portal Culling

- Determine what geometry's visible from a certain vantage point
 - Useful for interior scenes: rooms, hallways, etc.
- For each room
 - For each wall (and optionally floor and ceiling)
 - A list of what's visible when looking at each wall
 - Include what can be viewed through each *portal*
 - May be possible to depth sort these primitives so that they don't need to be depth buffered

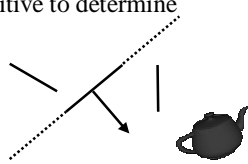


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Binary Space Partition Trees

- Store primitives in a binary tree based on their location to their parent
- Partition space based on a primitive's line or plane equation
- Use faced-ness of primitive to determine front and back sides



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